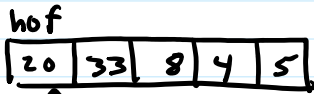


Arrays and Pointers

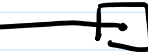
Stack

Heap

```
int hof[] = {20, 33, 8, 4, 5};
```



foo(hof)



~~hof = malloc(...)~~ // illegal

```
int vla[size];
```

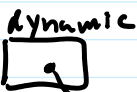


foo(vla)



~~vla = malloc(...)~~ still illegal

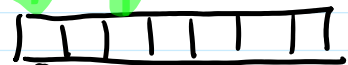
```
int *dynamic = malloc(sizeof(int) * size);
```



malloc(...)



dynamic dynamic+z



dynamic[z] ≡ *(dynamic+z)

```
int a2D[3][4] = {{1, 2, 3, 4}, {5, 6, 7, 8}, {9, 10, 11, 12}};
```



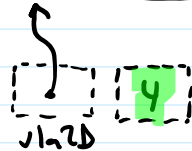
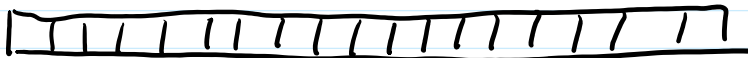
a2D

a2D[1]

a2D[1][2]

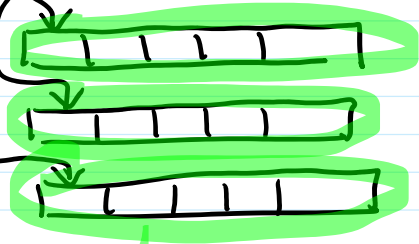
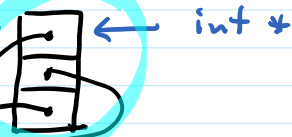
a2D is ptr to row
 ptr to array of 4 ints
 a2D[1] is ptr to next row of 4 ints

```
int vla2D[size][size+1];
```



size
3

dynamic2D
int

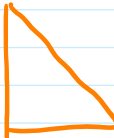


```
int **dynamic2D;  
dynamic2D = malloc(h * sizeof(int *));  
for (int i = 0; i < h; i++)  
{  
    dynamic2D[i] = malloc(w * sizeof(int));  
    for (int j = 0; j < w; j++) { /* initialize ind elts */  
    }  
    ...  
for (int i = 0; i < h; i++)  
{  
    free(dynamic2D[i]);  
}  
free(dynamic2D);
```

can have different width for each row
(useful for triangular arrays)

free each row

free array of rows



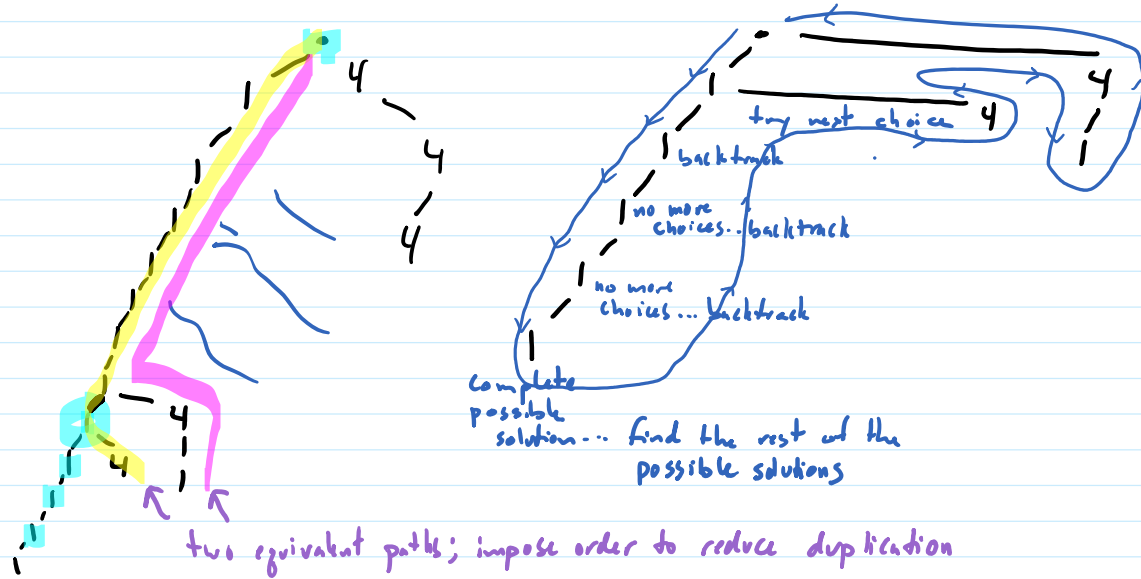
Backtracking

Problem: given positive integer n , determine how to write n as the sum of as few squares as possible

Examples: $5 = 1^2 + 2^2$

$$12 = 2^2 + 2^2 + 2^2$$

$$2018 = 13^2 + 43^2$$



recursion on partial solution:

if partial solution is $1+1+1$,

find best solution for $1+1+1+1$

find best solution for $1+1+1+4$

find best solution for $1+1+1+9$

for each next piece of solution
add it to current partial solution
recursively optimize the new partial solution
(remove it from partial soln so we can add the next later)

Revisit this problem later in the semester? (dynamic programming)