

Classifiers

$Q(s, a) =$ expected reward given state s taking action a

Regression: function attributes \rightarrow value

Classifier: function attributes \rightarrow class

— species of iris (virginica, setosa, versicolor)
— digit (0...9)

Iris flower data set

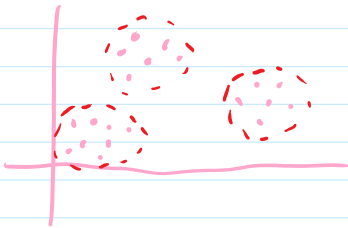
MNIST database

<http://yann.lecun.com/exdb/mnist/>

Learning: supervised — examples; generalize from those examples
↳ grandmaster moves

reinforcement — observe state transitions, rewards earned

unsupervised — discover unknown relationships

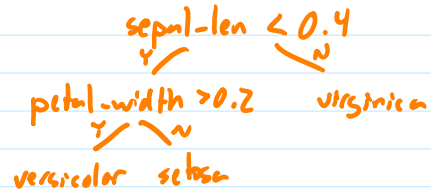


Methods: k-nearest neighbors

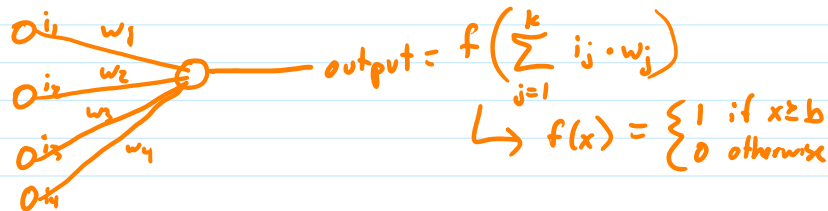


2 of nearest 3 are ●
so predict ●

decision trees
nested ifs



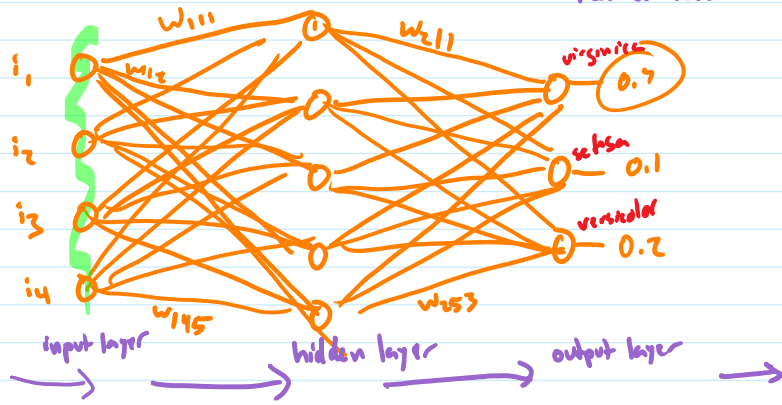
perceptron



multi-layer perceptron (artificial neural network)
feed forward



multi-layer perceptron (artificial neural network),
feed forward



Input Representation

Input / Output

categorical

versicolor = 0
 virginica = 1
 setosa = 2
 yalrica =

versicolor:
0

50/50 versicolor/ virginica 0.5	75/25 versicolor/ virginica 0.25	50/50 virginica/ setosa 1.5	50/50 versicolor/ setosa 2.5
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	versicolor	virginica	setosa			
one-hot	1	0	0	0.5	.75	output = prob that input belongs to class
1 input/output per class	0	1	0	0.5	.75	
	0	0	1	0	0	

date

→ arbitrarily chosen starting point (Jan 1 1970)

seconds since epoch (normalized)

3" Jan 1 1900 = -2208988800 → normalize: $\frac{-2.2 \text{ billion}}{4 \text{ billion}}$
 1" Jan 1 1999 = 91548800 → $\frac{915 \text{ million}}{4 \text{ billion}}$

predict snowfall given date

month / day / year

Jan 1 1900 =	1	1	1900
Jan 1 1999 =	1	1	1999
Jan 31 2020	1	31	2020
Feb 1 2020	2	1	2020
Dec 31 1998	12	31	1998

very different

fuzzy

	Jan	Feb	Mar	...	Dec
	0	0	0	0	0
Jan 1	.52				.48
Jan 10	.7				.3
Mar 15			1.0		
Dec 31	.48				.52

rolls	1	1	3	4	6
	1	1	1	2	5

ANN Supervised Learning

initialize weights randomly

until trained

for each example in training data

compute outputs (send input through ANN, get output)

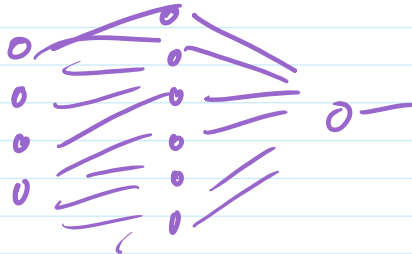
compute total error

adjust weights to reduce error (calculus)

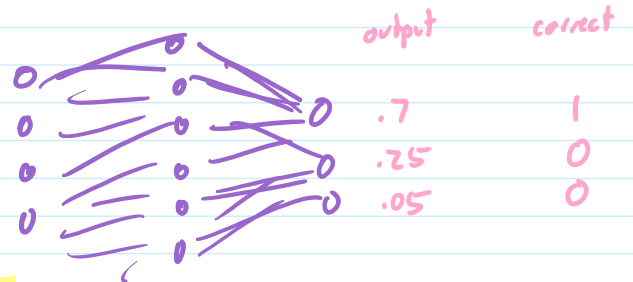
current predictions

(difference between output and correct results)

regression



classification



mean squared error (MSE) $\frac{1}{n} \sum_{i=1}^n (\text{Correct}_i - \text{Predict}_i)^2$

cross-entropy

Actual	Predicted	MSE	CE	Predicted	MSE	CE
0	0.25	0.0625	0	0.001	0.000001	0
0	0.25	0.0625	0	0.001	0.000001	0
1	0.25	0.5625	-0.60206	0.3799	0.384524	-0.42033
0	0.25	0.0625	0	0.6199	0.384276	0
		0.1875	0.60205999		0.192201	0.420331

MSE prefers prediction 1

CE prefers prediction 2